

A RANDOM WALK AT INFINITY

A Layperson's Exposition of
Kumar Eswaran's Proposed Proofs of the
Riemann Hypothesis and the
Generalised Riemann Hypothesis

$$\zeta(s) = \sum_{n=1}^{\infty} \frac{1}{n^s}$$

$$\zeta(s) = 0$$

$$\Re(s) = \frac{1}{2}$$

VINAYAK ESWARAN

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